[6.2] Suppose that . Show that if and are normalized then so is .

Solution. The basis for  and for . So a basis for .

Alice’s basis is orthonormal .

Bob’s basis is orthonormal .

Hence



 since we do not combine *a*’s and *b*’s.

Note that  are complex numbers so we drop the tensor sign.

Therefore .